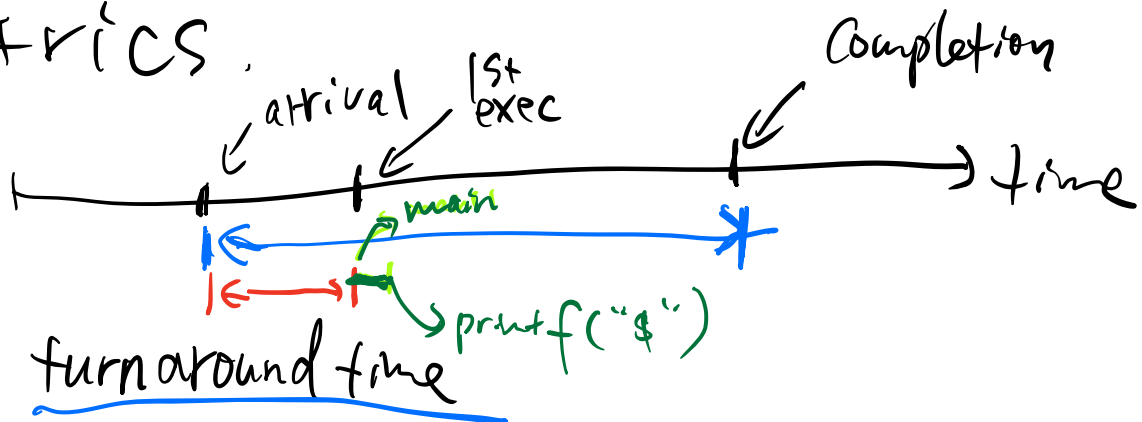


Fig13 from "Priority based round robin (PBRR) CPU scheduling algorithm"

- preemptive : ①-④
- non-preemptive : ① and ④

• metrics



- turnaround time
- response time
- "fairness"
 - no starvation
 - share CPU equally

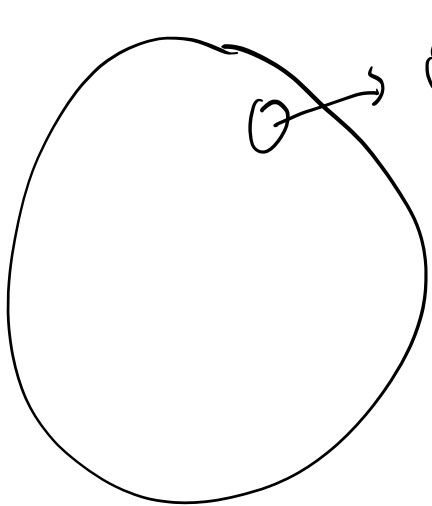
Week 4.b
CS 5600
02/01 2023
<https://naizhengtan.github.io/23spring/>

- proportional to their needs.
to

1. Last time ↙
 2. Scheduling intro ↙
 3. Scheduling disciplines
 FIFO
 SJF
 RR
 Prio
 MLFQ
 Lottery
 } ↙ 4:10 PM
 4. Vote for scheduling algorithms ↙
-

PCB Context Switch

• Scheduling

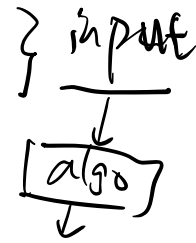


OS scheduling

Q: [OS]: which process to run?

Setup: WHEN

- scheduling game
 - 1 CPU
 - multiple processes: P1, P2, P3, ...
 - each with arrival time and running time
 - ignore context switches
 - assume no I/O
 - scheduling ~~output~~:
 - a sequence of scheduling decisions

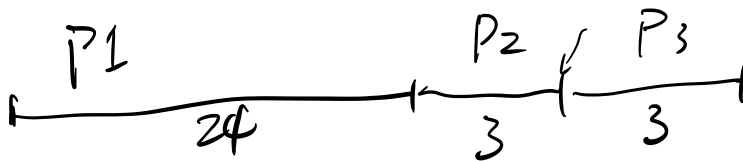


P1 P2 P3 P4

A. FCFS/FIFO

process	arrival	running
→ P1	0 + 2ε	24
P2	0 + ε	3
P3	0 + ε	3

Note: The arrival times for P1, P2, and P3 are circled in blue in the original image. The running time for P1 is 24, for P2 is 3, and for P3 is 3.



avg turnaround time : $\frac{24 + 27 + 30}{3} = 27$

avg resp time : $\frac{0 + 24 + 27}{3} = \frac{51}{3} = 17$

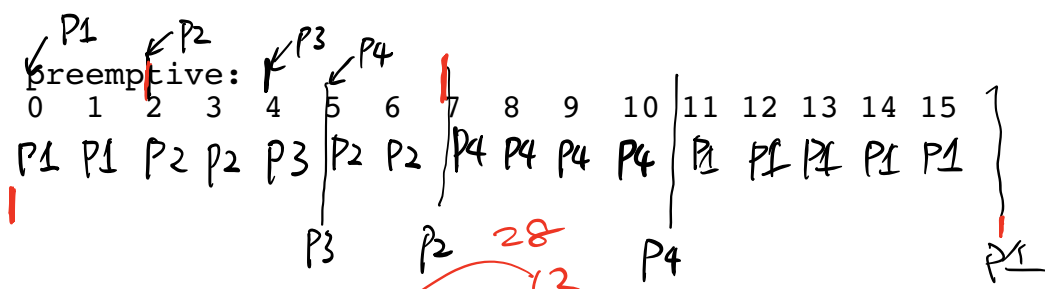
Q. [P2, P3, P1]

avg turnaround time ? $\frac{3 + 6 + 30}{3} = 13$ avg resp time ? $\frac{0 + 3 + 6}{3} = 3$

Shortest Job First (non-preemptive)

B. SJF and STCF

process	arrival	running
P1	0	$7 - 2 = 5$
P2	2	$4 - 2 = 2$
P3	4	4
P4	5	4



avg
turnaround
time :

$$\frac{6 + 5 + 1 + 6}{4} = 7$$

Q = avg
rsp time :

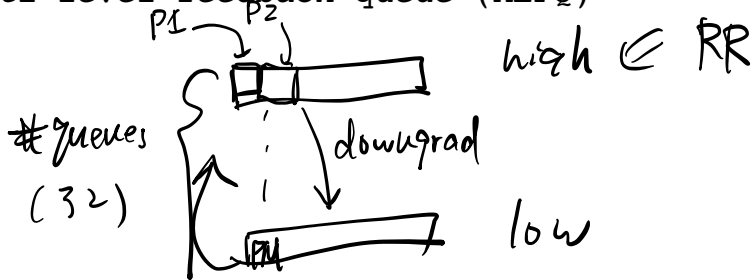
$$\frac{0 + 0 + 0 + 2}{4} = 0.5$$

D. Priority

process	arrival	running
P1 (<u>high</u>)	0 10	10
P2 (<u>low</u>)	0	5



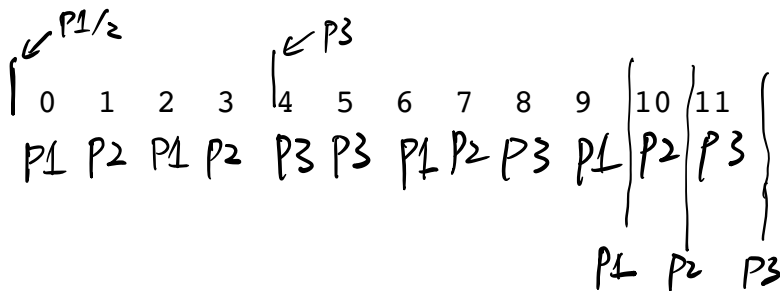
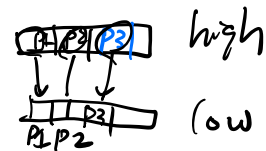
E. Multi-level feedback queue (MLFQ)



CFS

(with slice of 1 unit of time; RR
2 units of time to change priority, i.e., "downgrade")

process	arrival	running
P1	0	4
P2	$0+\epsilon$	4
P3	4	4



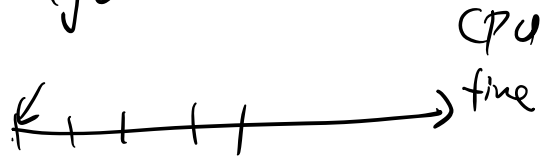
Probabilistic algo

F. Lottery (and stride scheduling)

deterministic algo

(with slice of 1 unit of time)

process	arrival	running
P1 (t ₁ =20)	0	20
P2 (t ₂ =10)	0	10



P1 P1 P2 P1 P2 . . .

$$Pr(P1 \text{ win}) = \frac{20}{20+10} = \frac{2}{3}$$

⇒ P1 P1 P1 . . .

Question: expected turnaround time for (P1, P2):

- A. (20, 30)
- B. (30, 20)
- C. (30, 30)
- D. others.

$$E_{P2} = \frac{10}{\frac{1}{3}} = 30$$

B C B,

(P1)

(20)

$$E_{\text{turnaround}} = \frac{\text{running time}}{E(\text{running time of P1 in 1 unit of time})}$$

$$= \frac{20}{\frac{2}{3}} = 30$$

